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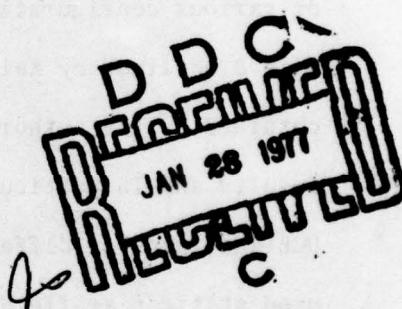
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DYNAMIC STRESS INTENSITY FACTOR OF HOMALITE-100

by

A.S. Kobayashi and S. Mall

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ABSTRACT

Dynamic stress intensity factors of Homalite-100 determined by T. Kobayashi and Dally are compared with those previously obtained by the authors where similarities in the two results for single-edged notch specimens of various configurations are noted. Dynamic stress intensity factors of Araldite B obtained by Kalthoff, Beinert and Winkler and those of Homalite-100 obtained by the authors are then compared and again similarities in the two results and in particular the scatters in experimental data for wedge-loaded DCB specimens of different sizes are noted. All three teams of investigators used static near-field solution to compute the dynamic stress intensity factors from recorded dynamic isochromatics or dynamic caustics. Errors generated through this use of static near-field solutions as well as through the use of larger isochromatic lobes are thus discussed.

INTRODUCTION

For the past several years the writers and their colleagues have been using dynamic photoelasticity to determine the dynamic stress intensity factors*, K_D , and crack velocities of propagating cracks in unstiffened and stiffened single-edged notch tension plates under fixed grip loading with and without impact conditions [1,2], dynamic tear test (DTT) specimens [3], and wedge-loaded double cantilever beam (DCB) specimens [4]. In all these studies, a static near field solution was used to compute the dynamic stress intensity factor from the

* Dynamic stress intensity factor of a running crack in a particular material is often referred to as dynamic fracture toughness or the dynamic fracture resistance of the material.

dynamic isochromatic patterns surrounding the running crack following Irwin's procedure of 1958 [5]. More recently T. Kobayashi and Dally have used dynamic photoelasticity to determine dynamic stress intensity factors of propagating cracks in various birefringent polymers [6,7]. Also Kalthoff et al. have, through the use of caustics, determined the dynamic stress intensity factors of Araldite B using wedge-loaded DCB specimens [8]. The results obtained by these three independent teams of researchers, at first, appeared to be mutually contradictory to the extent that some results are quoted out of context to support a particular fracture dynamic and crack arrest criteria against others [9]. The purpose of this paper is to identify some of the common results obtained among these three teams of investigators and to analyze the possible causes which led to these apparent discrepancies.

DYNAMIC STRESS INTENSITY FACTOR

In the three investigations quoted above, a static near-field state of stress was fitted to either the dynamic isochromatics or the dynamic caustics surrounding a running crack and the static stress intensity factor thus obtained was considered to be the dynamic stress intensity factor, K_D . Ignoring for the time being the inherent as well as additional possible sources of errors involved in this data reduction scheme, the dynamic stress intensity factor, as defined by the static near-field solution, versus crack velocity relation can be plotted in a nondimensional format in order to reduce as much as possible the effects of material variabilities between the three investigators. Figure 1 shows the nondimensionalized crack velocity versus nondimensionalized dynamic stress intensity factor relation obtained from the dynamic photoelastic data in Homalite-100 plate, 9.5mm (3/8 in.) in thickness, by Bradley who used 254mmx254mm (10in.x10in.) single-edged notch plates loaded under fixed grip condition. Most of the data scatter in Figure 1 is mainly due to inaccurate crack velocity measurements which were calculated directly from the

crack tip position versus time data and is also due in part to the stress wave effects. T. Kobayashi and Dally [7], on the other hand, used smoothed crack tip position versus time curves for crack velocity calculations and observed no stress wave effects. The uniform crack velocity thus obtained from the smoothed crack length versus time curve is consistent with the uniform crack velocities observed in fracturing glass using ultrasonic-ripple marking technique [11] and in polymethylmethacrylate using streak photography [12]. By compressing our scatters in crack velocities, we too can obtain a better correlation between dynamic stress intensity factor and crack velocity as shown in Figure 2.

The dynamic stress intensity factor versus crack velocity relation by T. Kobayashi and Dally [7] for 19.05mm thick Homalite-100 plates was converted to nondimensionalized dynamic stress intensity factor versus nondimensionalized crack velocity relation and is also plotted in Figure 2. Despite the scatter in our data, the two nondimensionalized stress intensity factors at the lower crack velocities agree well, particularly when one considers the differences in the material properties of the Homalite-100 plates of different thicknesses and of different fabrication periods. The static fracture toughnesses of the two different Homalite-100 plates differed by approximately 30 percent and the estimated differences between the nondimensionalized averaged dynamic stress intensity factor at crack arrest was about 12 percent.

Although one can construct an averaged dynamic stress intensity factor versus crack velocity relation, which assumes the familiar Γ -shaped curve [13], through the scattered experimental data in Figure 2, we are reluctant to establish such definitive dynamic fracture characterization in view of our recent experiences with dynamic finite element analysis of a fracturing tapered DCB specimen [14] and dynamic finite difference analyses of fracturing pipes [15]. The results of these numerical analyses indicate that an elastic crack must run at intermittent crack

velocities in order for a smoothly varying dynamic stress intensity factor versus crack velocity relation to exist as a material property. Alternatively, the dynamic stress intensity factor must vary intermittently in order to maintain smoothly varying crack velocities and thus precludes a unique Γ -shaped crack velocity versus dynamic stress intensity factor relation. At the present stage of development, in the writers' opinion, neither dynamic photoelasticity nor dynamic caustics can provide accurate dynamic stress intensity factor nor crack velocity to resolve this controversy. In fact, the available little data on relatively accurate crack velocity measurements indicate that the crack velocity does vary uniformly at least in glass [11] and in polymethylmethacrylate [12] thus leaving us with the only alternatives of nonunique relation between dynamic stress intensity factor and crack velocity if the above mentioned numerical analyses had correctly modeled dynamic fracture.

Figure 2 also shows another point of departure between our results and those of T. Kobayashi et al. who observed complete crack branching at $K_D/K_{IC} = 3.7$ [7], where we could not relate crack branching with any instantaneous dynamic stress intensity factor. Perhaps this difference in crack-branching dynamic stress intensity factor also involves the definition of crack branching. Our fractured Homalite-100 specimens showed many minute crack branches prior to the onset of major crack branching.* Obviously considerable unaccountable fracture energy was dissipated through these minor crack branches which could have resulted in our indecisive crack-branching dynamic stress intensity factors. In addition, the close proximity of the two running cracks, which just branched, accentuates the interchange between the dynamic energy released and the kinetic energy surrounding the crack tip [17] and thus the static near-field solution can no longer be used for calculating the dynamic stress intensity factor of a bifurcated or trifurcated crack surrounded by a single dynamic isochromatic lobe. Lacking a proper data

* See for example Figures 2 and 3 in Reference [16].

reduction procedure, a gross energetic approach was used to arrive at an empirical crack branching criterion. An average dynamic energy release rate, which is defined as the total dynamic energy released divided by the total crack surface, was computed by using the single-crack tip near field solution but by incorporating all measurable major and minor crack surfaces. This average dynamic energy release rate, $G_D]_{ave}$, which incorporates the gross effect of kinetic energy feedback in driving the crack, was found to be of 2.1 - 2.7 times the static critical strain energy release rate, G_{IC} [16]. This crudely estimated crack branching $G_D]_{ave}$ indicates that branching will occur when sufficient energy is available to propagate two separate cracks. Obviously, further refinements of such data reduction procedure are necessary before a crack branching criterion can be established.

Our preference for plotting the dynamic energy release rate instead of the more directly calculable dynamic stress intensity factor from the dynamic isochromatics and dynamic caustic as per T. Kobayashi et al. [7], and Kalthoff et al. [8], respectively, can also be attributed to the fact that the total sum of dynamic energy release rate during crack propagation can be related to the total kinetic energy and potential energy in the test specimen at each instant of time thus providing one with an accuracy assessment based on first principles. Computation of this dynamic energy released, G_D , from dynamic stress intensity factor, K_D , was accomplished by Freund's formula [23] using the measured crack velocity. The generality of this part of Freund's solution was discussed by Nilsson [25].

Figure 3 shows a comparison between the dynamic stress intensity factor versus smoothed crack velocities in wedge-loaded DCB specimens of Araldite® [8] and Homalite-100 [4]. Here again, the smoothed crack length-versus-time curves was used to eliminate the many oscillations in crack velocities thus making it similar in shape to Kalthoff's curve. Although no direct correlation between the two "T"

curves are possible due to differences in material properties between Araldite B and Homalite-100, it is interesting to note that scatters, which were appreciably larger than those of T. Kobayashi et al., in data points of these two materials are very similar in these nondimensionalized plots. This scatter could be due to the larger interaction between kinetic energy and dynamic energy released in our smaller DCB specimens in contrast to the large monolithic single-edged notch specimens used by T. Kobayashi and Dally. An up-to-date detailed discussion on the high dynamic amplification factor due to this intense interchange between kinetic energy and dynamic energy released through crack propagation in wedge-loaded DCB specimen can be found in Reference [18].

It is interesting to note that in Kalthoff's experiment, the dynamic stress intensity factor oscillated after crack arrest, eventually converging to the static stress intensity factor at crack arrest, K_{Ia} , which gradually decreased with increasing arrest crack length. This gradual decrease in K_{Ia} with higher driving force of K_{IQ} is in accord with the belief that the static stress intensity factor at crack arrest is not a material property [10,17].

The above comparison of experimental results shows that although the results obtained by the three teams are in qualitative agreement with each other, data scatter in Kalthoff's and our experiments were consistently larger than those of T. Kobayashi and Dally. It thus appeared appropriate to reassess our data reduction scheme at this time in search of the cause or causes of the data scatter in Kalthoff and our results. As mentioned previously, the static near field solution was used by all to reduce their dynamic optical data. Kalthoff et al. and we used the optical data within a radial distance of $r = 2.5 \sim 5\text{mm}$ ($0.1 \sim 0.2$ inch) region surrounding the moving crack tip while T. Kobayashi et al. in some of their data reduction schemes considered regions as large as $r \approx 25.4\text{mm}$ (1 inch) [19]. The possible numerical errors involved in using larger crack tip region in a uniform

dynamic stress field surrounding a Yoffe crack [20] was discussed previously [10]. Since this error analysis did not incorporate the effect of nonuniform dynamic stress field, such error analysis is considered in the following section.

NEAR-FIELD ELASTO-DYNAMIC STATE

The near-field elasto-dynamic state of stresses for a crack propagating at a constant velocity, c , is [21]

$$\begin{aligned}\sigma_{xx} = & a_1 \frac{3}{2} \{(2 s_1^2 - s_2^2 + 1) r_1^{-1/2} \cos \frac{\theta_1}{2} - \frac{4s_1 s_2}{(1+s_2^2)} r_2^{-1/2} \cos \frac{\theta_2}{2}\} \\ & + a_2 8(s_1^2 - s_2^2) + a_3 \frac{15}{2} \{(2 s_1^2 - s_2^2 + 1) r_1^{1/2} \cos \frac{\theta_1}{2} \\ & - \frac{4s_1 s_2}{(1+s_2^2)} r_2^{1/2} \cos \frac{\theta_2}{2}\} + \dots\end{aligned}\quad (1a)$$

$$\begin{aligned}\sigma_{yy} = & a_1 \frac{3}{2} \{- (1+s_2^2) r_1^{-1/2} \cos \frac{\theta_1}{2} + \frac{4s_1 s_2}{(1+s_2^2)} r_2^{-1/2} \cos \frac{\theta_2}{2}\} \\ & + a_3 \frac{15}{2} \{- (1+s_2^2) r_1^{1/2} \cos \frac{\theta_1}{2} + \frac{4s_1 s_2}{1+s_2^2} r_2^{1/2} \cos \frac{\theta_2}{2}\} + \dots\end{aligned}\quad (1b)$$

$$\begin{aligned}\tau_{xy} = & a_1 3s_1 \{r_1^{-1/2} \sin \frac{\theta_1}{2} - r_2^{-1/2} \sin \frac{\theta_2}{2}\} + a_3 15s_1 \{- r_1^{1/2} \sin \frac{\theta_1}{2} \\ & + r_2^{1/2} \sin \frac{\theta_2}{2}\} + \dots\end{aligned}$$

where

$$s_1^2 = 1 - c^2/c_1^2 \quad \text{and} \quad s_2^2 = 1 - c^2/c_2^2 \quad (2a)$$

$$r_1^2 = x^2 + s_1^2 y^2 \quad \text{and} \quad r_2^2 = x^2 + s_2^2 y^2 \quad (2b)$$

$$\tan \theta_1 = \frac{s_1 y}{x} \quad \text{and} \quad \tan \theta_2 = \frac{s_2 y}{x} \quad (2c)$$

c , c_1 and c_2 are the crack velocity, dilatational wave velocity and distortional wave velocity, respectively.

x and y are moving rectangular coordinates with origins at the propagating crack tip.

The above near-field state represents the first three terms in Reference [21] and was selected for comparison with the three parameter representations in Reference [19]. It can be easily shown that for zero crack velocity or $c \rightarrow 0$, Equations [1] reduce to those in Reference [22]. The arbitrary constant coefficient, a_1 , can also be represented in terms of the more familiar dynamic stress intensity factor as

$$a_1 = \frac{K_D}{2\sqrt{2\pi}} \frac{4(1+s_2^2)}{3[4s_1s_2 - (1+s_2^2)^2]} \quad (3)$$

where K_D is the dynamic stress intensity factor after Freund [23] and reduces to the static stress intensity factor, K , when $c \rightarrow 0$. It can also be shown that $a_2 \rightarrow -\sigma_{ox}/[8(s_1^2 - s_2^2)]$ when $c \rightarrow 0$ where σ_{ox} is the often-quoted remote stress component [5,7].

The dynamic isochromatic fringe loop can be represented by the well-known formula of

$$\tau_{max} = [(\sigma_{xx} - \sigma_{yy})^2/4 + \tau_{xy}^2]^{1/2} \quad (4)$$

The diameter of caustics, \bar{w} , on the other hand [24], is

$$\bar{w} = -z_0 t f \text{grad}(\sigma_{xx} + \sigma_{yy}) \quad (5)$$

where z_0 , t and f are the distance between the midplane of the specimen and screen, thickness of the specimen and the optic constant of the specimen, respectively. In the following, Equations (1), (4) or (5) will be used to establish the theoretical dynamic isochromatics or dynamic caustics for a known dynamic stress intensity factor which will be compared with the stress intensity factor computed by using the static near-field solutions.

Dynamic Isochromatics

Unlike the Yoffe crack [20], the near-field solution of Equations (1) and (2) show that the dynamic stress intensity factor will not approach that of the static stress intensity factor, K , as $r = \sqrt{x^2 + y^2} \rightarrow 0$. The exact deviation between dynamic and static stress intensity factors, K and K_D , for a given crack velocity, c , varies with the procedure in which static near field state of stress is fitted to the dynamic near field state of stress. For example, if a two-parameter static isochromatic lobe is matched with a one-parameter dynamic isochromatic lobe at the maximum radial distance, r_{\max} , in Fig. 2 of Reference [1], then $K/K_D = 1.02$ and 1.07 for $c/c_1 = 0.106$ and 0.159 , respectively. Such inherent error in K_D estimation is thus negligible at lower crack velocities of $c/c_1 < 0.1$ where much of the crack arrest stress intensity factor, K_a , is inferred, but otherwise is unavoidable regardless of the smallness of the near field region concerned.

Having established the inherent error in the use of the static state of stress for K_D estimation, we then posed the question of what additional errors if any are involved by evaluating the dynamic optical data in a larger region. For this purpose, the three-parameter representation of the dynamic near field solution as shown by Equation (1) was used to model a crack propagating at constant velocities of $c/c_1 = 0.00001$, 0.05 and 0.15 . The dynamic state corresponding to $c/c_1 = 0.00001$ was used as the corresponding static solution after verifying the negligible discrepancy between the static and dynamic state of this extremely low crack velocity. Dynamic modulus $E = 4.65$ GPa (675 ksi) and Poisson's ratio $\nu = 0.345$ for Homalite-100 were used to simulate the actual test conditions in dynamic photoelasticity.

Typical dynamic states surrounding the crack tip propagating at the constant velocity, where $K_D/K_{IC} = 2$, and 0.8 for $c/c_1 = 0.15$ and 0.05 , respectively, were then

considered. Isochromatic fringes which pass through references points were then plotted for $K_D/K_{IC} = 2.2, 2.0$ and 1.8 at $c/c_1 = 0.15$ and 0.00001 as shown in Figures 4 and 5. The smaller static isochromatic lobe of $c/c_1 = 0.00001$ in these figures indicates that an inherent overestimation of 24% in K_D is involved if the static isochromatic lobe is only stretched to match r_{max} of the dynamic isochromatic lobe in Figure 4. Likewise K_D will be overestimated by 12 percent if the smaller dynamic isochromatics in Figure 5 are considered. This increased error due to increased size in isochromatics indicates the importance of a dynamic analysis when larger isochromatic lobes are considered and is in qualitative agreement with the error analysis in Reference [10] where the artificial Yoffee crack [20] was used to estimate the size effect in the backward tilting isochromatic lobes. Within a sufficiently close region surrounding the running crack tip and in the absence of any parasitic stress waves, the magnitude of this overestimation will be reduced but the statistically computed stress intensity factor will always be larger than the actual dynamic value.

Figure 4 also indicates the relative insensitivity of the size of larger isochromatic lobe to a ± 10 percent change in dynamic and static stress intensity factors. Dimensional changes with small changes in stress intensity factors are accomplished mainly by the small changes in the tilting of the isochromatic lobe, θ_{max} , verifying the original conclusion by Bradley [1]. Such insensitivity to K_D raises the possibility that the small oscillations in dynamic stress intensity factor could be masked by the average dynamic stress intensity factor of larger isochromatic lobes unless the data reduction procedure is sensitive to θ_{max} change.

The above numerical examples reconfirmed our suspicion that considerable error may be induced when the static near-field solution is used to compute the dynamic

stress intensity factor using relatively large isochromatics. The use of higher order terms in the static eigen-function expansion formula may not improve the accuracy in the data reduction procedure but could increase the error involved.

Figure 6 shows the larger dynamic isochromatic lobes at crack velocities of $c/c_1 = 0.05$. Static isochromatic lobes were not included in Figure 6 since these static isochromatics were at the most only 2-3 percent smaller in radial distances than the corresponding dynamic isochromatics. Likewise coincidence existed in the smaller isochromatics. Error analysis of our data reduction procedure at this crack velocity is of particular interest since small differences in the dynamic stress intensity factors, K_D , at this portion of the Γ -curve could result in different crack arrest stress intensity factor, K_a , which is often estimated by extrapolating the lower end of the Γ -curve at $c/c_1 = 0$. Figure 6 shows that for slower crack velocities of $c/c_1 = 0.05$, the static near-field isochromatics is a reasonable representation of the dynamic state. Data scatter in the lower end of the Γ -curve could be due to either experimental errors or the actual fluctuations in K_D .

As another assessment of possible error involved in using larger isochromatic lobes, a constant velocity crack of $c/c_1 = 0.15$ running into a constant and linearly varying static stress fields of $\sigma_{yy} = 0.689 \text{ MPa (100 psi)}$ at $y \neq 0$ and $0.689 \cdot y \text{ MPa (100} \cdot y \text{ psi)}$, respectively, were considered. Such stress fields simulate two types of reflected tension waves impacting the constant velocity crack and represent the dynamic near-field solution immediately prior to the elevation in dynamic stress intensity factor due to the impinging tensile waves. The magnitude as well as the gradient of these impinging tensile wave fronts were taken from the experimental values of transient waves in Reference 26. Figures 7 and 8 show the two levels of near-field isochromatics with the superimposed $\sigma_{yy} = 0.689 \text{ MPa (100 psi)}$ and $0.689 \cdot y \text{ MPa (100} \cdot y \text{ psi)}$, respectively. Also shown in Figures 7 and 8 are the dynamic near-field isochromatics without the superimposed static states of stress. It is immediately obvious that the larger dynamic isochromatics are significantly altered

by the superimposed moderate tensile field. In terms of the data reduction procedure, the larger isochromatics will predict a significantly higher apparent dynamic stress intensity factor while the smaller isochromatic lobes which are dominated by the dynamic singular stress field will predict more accurately the instantaneous dynamic stress intensity factor.

Dynamic Caustics

The dynamic near-field region considered by Equation 5 relates to a region of $r_{\max} \approx 0.1$ inch [8]. Thus the inherent error as well as the possible error involved in predicting dynamic stress intensity factors in the presence of an impinging stress wave follow those involved in the smaller isochromatic lobes discussed previously. The qualitative agreement in data scatter in Figure 3 and the observed oscillation in dynamic stress intensity factors could be explained by the similarity in Kalthoff's and our data reduction procedures which are confined to the smaller near field surrounding the running crack.

CONCLUSIONS

1. Qualitative agreements between the dynamic stress intensity factors of Homalite-100 plates obtained by T. Kobayashi et al. and the wedge-loaded DCB results for Araldite B by Kalthoff et al. and the authors' old results are observed.
2. Differences in the various results obtained by the three teams of investigators could be attributed in part to the accuracy and interpretation of crack velocity data.
3. The use of static near-field stresses in place of the dynamic near-field stresses in computing the dynamic stress intensity factors could result in overestimation of these values at the higher crack velocity of $c/c_1 = 0.15$.

4. An impinging stress wave on a moving crack could significantly change the shape of the isochromatics and thus introduce substantial error in the computed stress intensity factor.
5. If the static stress field must be used in evaluating the dynamic photoelasticity results at higher crack velocities or in the presence of parasitic stress waves, the dynamic stress intensity factors should be computed by using the smallest isochromatics, preferably within 2.5mm (0.1 inch) distance of the crack tip at higher crack velocities.

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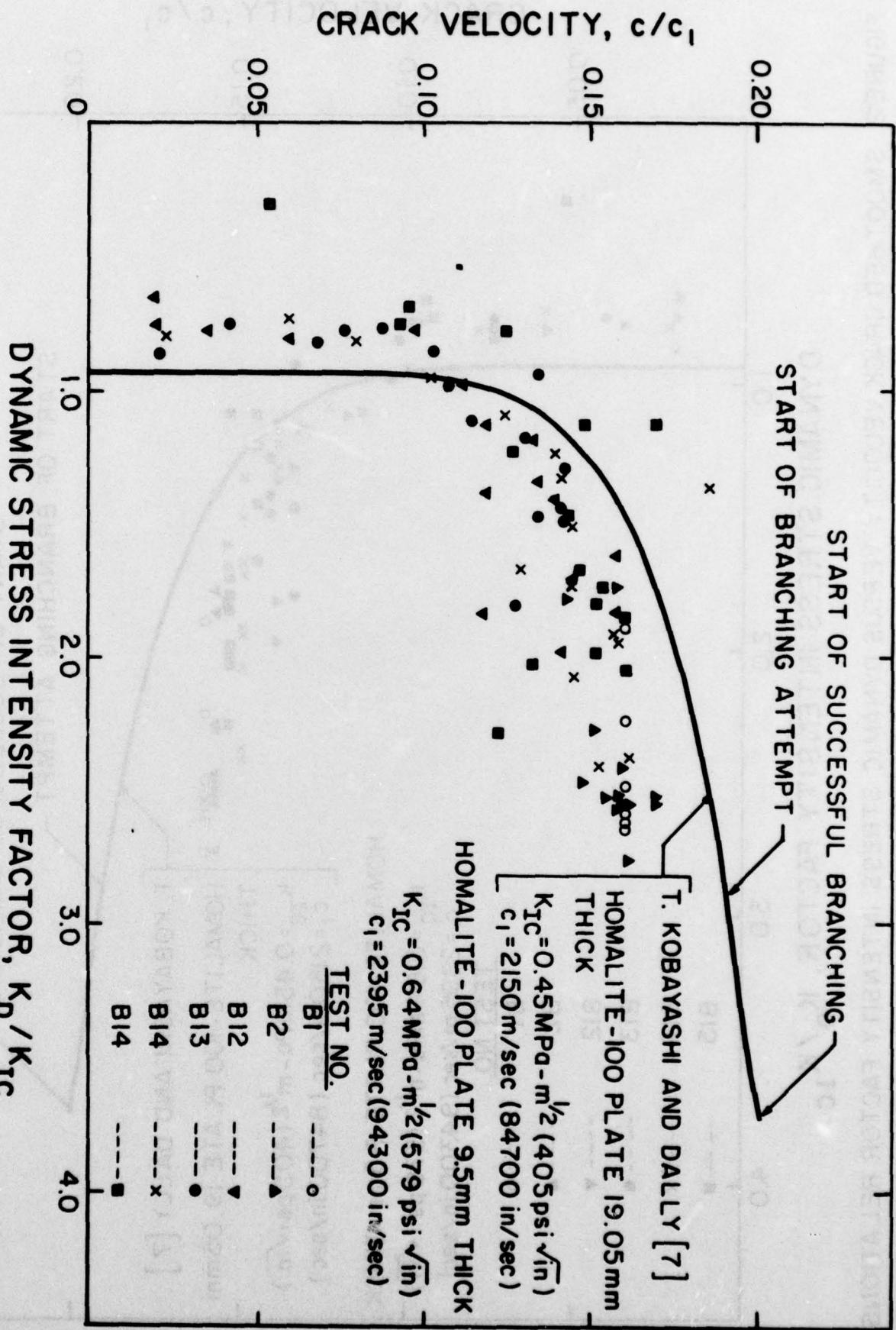


FIGURE I . SMOOTHED CRACK VELOCITY VERSUS DYNAMIC STRESS INTENSITY FACTOR RELATIONS OF SINGLE - EDGED NOTCH HOMALITE - 100 PLATES.

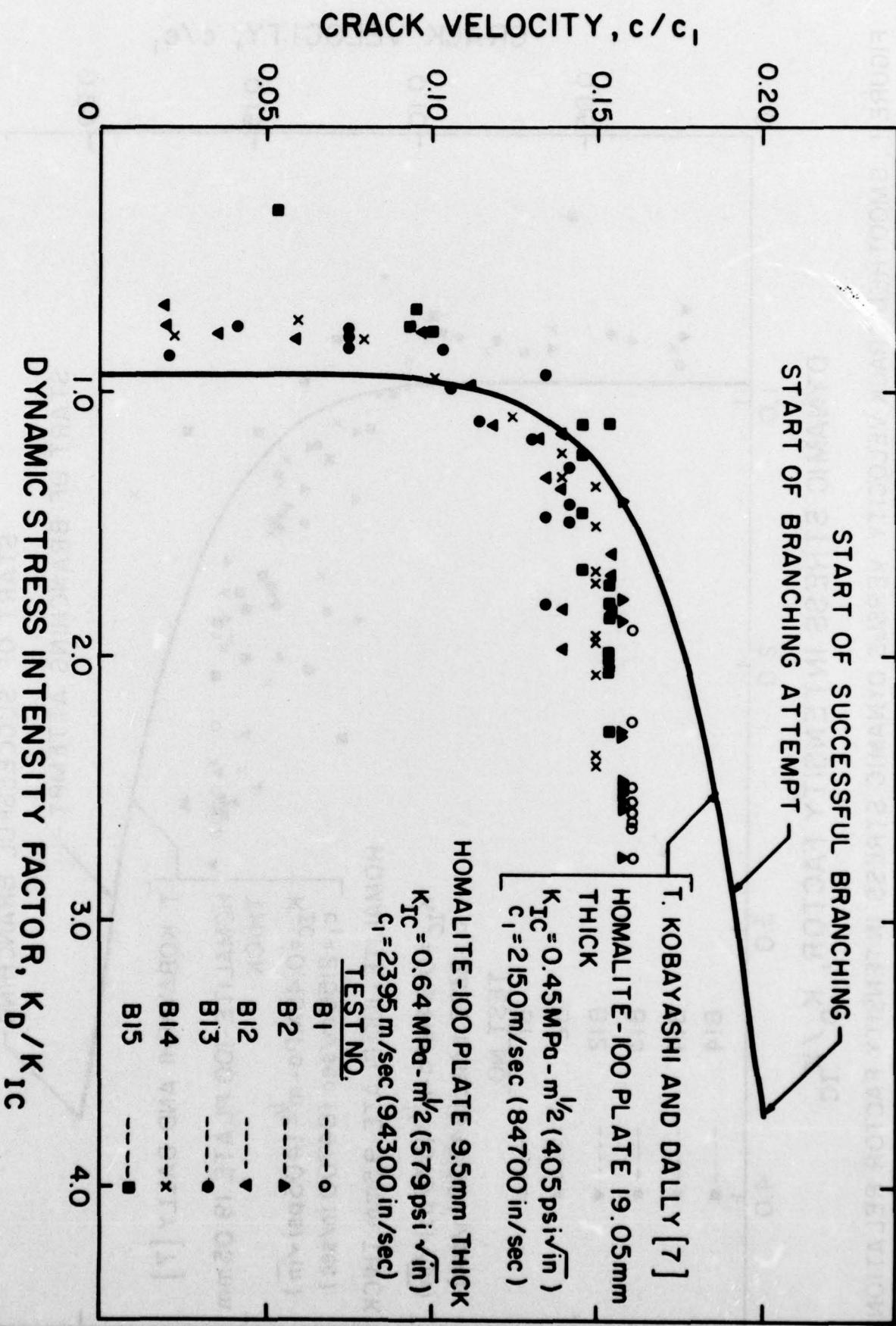


FIGURE 2. SMOOTHED CRACK VELOCITY VERSUS DYNAMIC STRESS INTENSITY FACTOR RELATIONS OF SINGLE-EDGED NOTCH HOMALITE-100 PLATES.

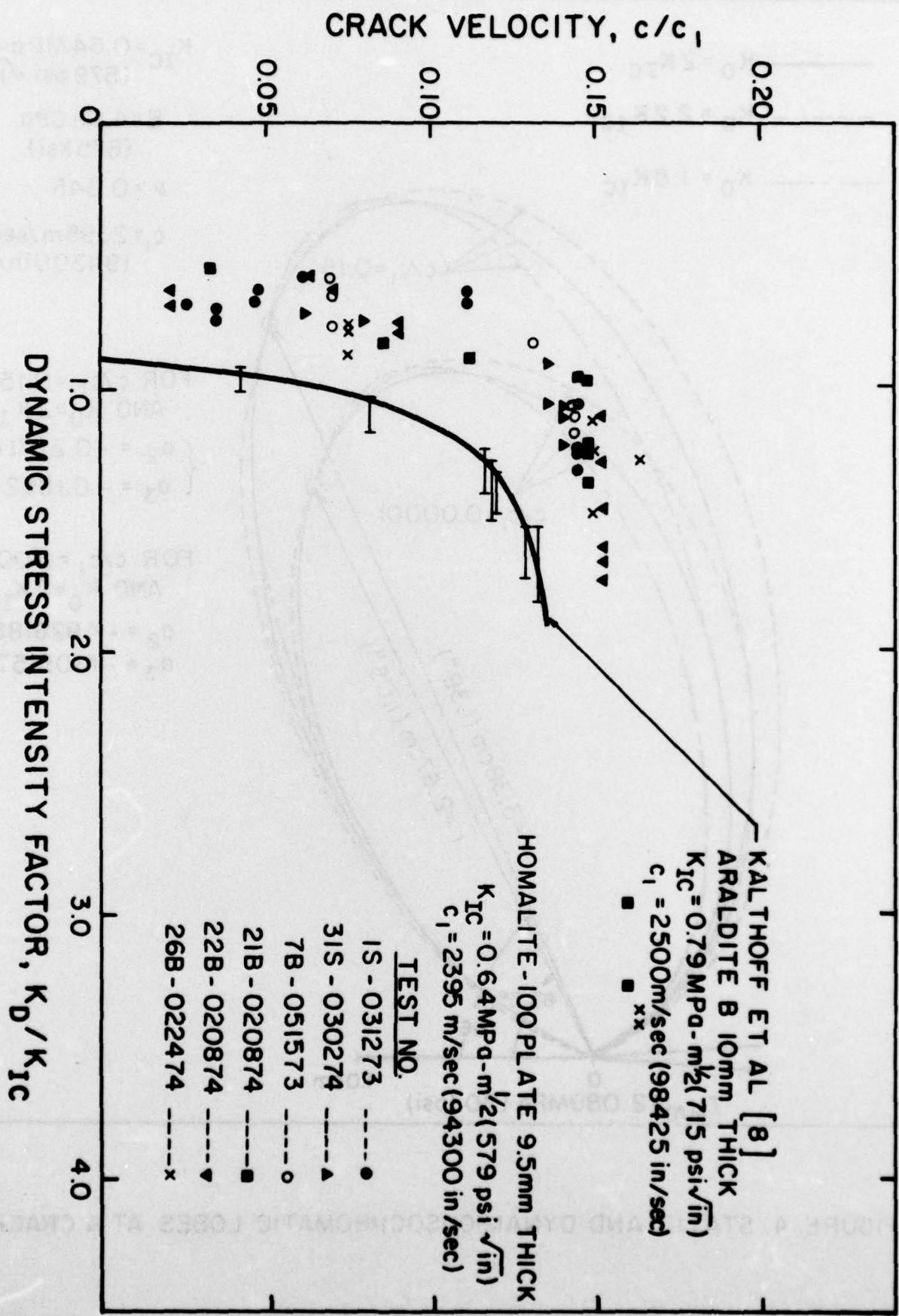
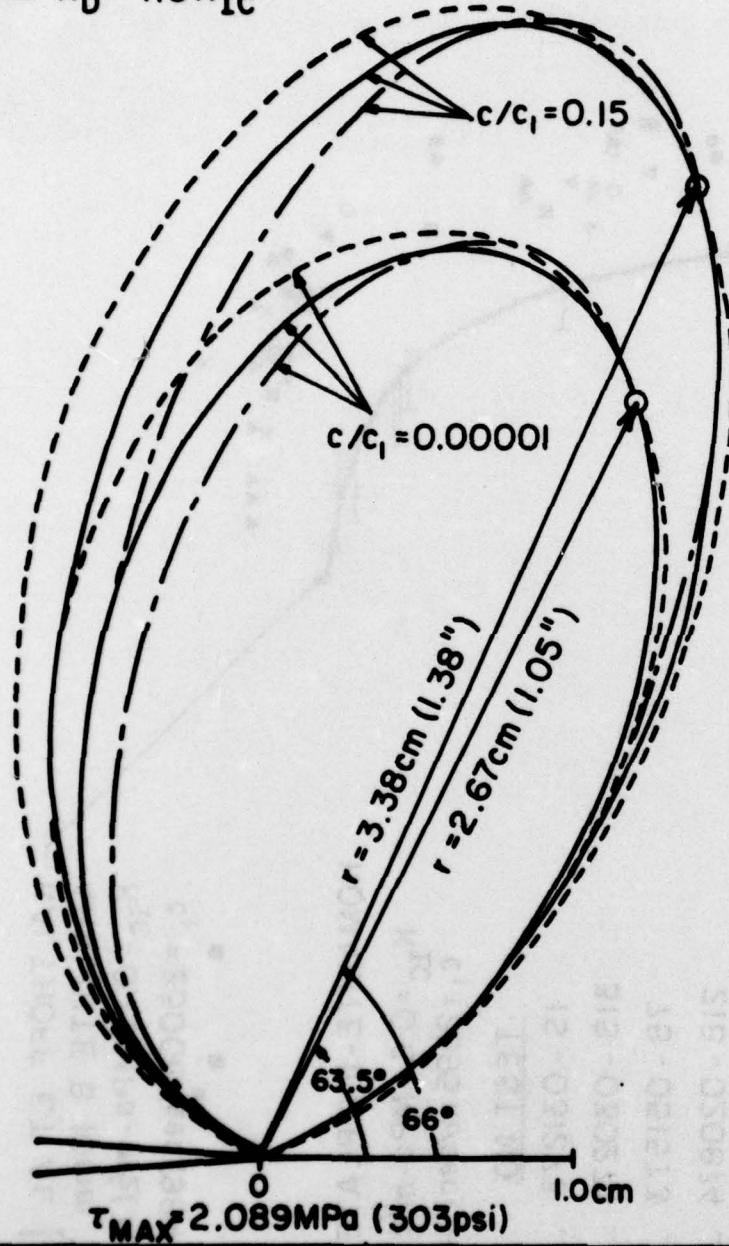


FIGURE 3. SMOOTHED CRACK VELOCITY VERSUS DYNAMIC STRESS INTENSITY FACTOR RELATIONS OF WEDGE-LOADED DCB SPECIMENS.

- $K_D = 2K_{IC}$
- $K_D = 2.2K_{IC}$
- $K_D = 1.8K_{IC}$



$$K_{IC} = 0.64 \text{ MPa}\cdot\text{m}^{1/2}$$

(579 psi $\sqrt{\text{in}}$)

$$E = 4.65 \text{ GPa}$$

(675 ksi)

$$\nu = 0.345$$

$$c_I = 2395 \text{ m/sec}$$

(94300 in/sec)

FOR $c/c_I = 0.15$
AND $K_D = 2K_{IC}$

$$\begin{cases} a_2 = -0.2271 K_D \\ a_3 = -0.1892 K_D \end{cases}$$

FOR $c/c_I = 0.00001$
AND $K_D = 2K_{IC}$

$$\begin{cases} a_2 = -49261887 K_D \\ a_3 = -41051573 K_D \end{cases}$$

FIGURE 4. STATIC AND DYNAMIC ISOCHROMATIC LOBES AT A CRACK TIP.

$$K_{IC} = 0.64 \text{ MPa}\cdot\text{m}^{1/2}$$

(579 psi $\sqrt{\text{in}}$)

$$E = 4.65 \text{ GPa}$$

(675 ksi)

$$\nu = 0.345$$

$$c_1 = 2395 \text{ m/sec}$$

(94300 in/sec)

$K_D = 2K_{IC}$

$K_D = 2.2K_{IC}$

$K_D = 1.8K_{IC}$

FOR $c/c_1 = 0.15$
AND $K_D = 2K_{IC}$

$$\begin{cases} a_2 = -0.2271 K_D \\ a_3 = -0.1892 K_D \end{cases}$$

FOR $c/c_1 = 0.00001$
AND $K_D = 2K_{IC}$

$$\begin{cases} a_2 = -49261887 K_D \\ a_3 = -41051573 K_D \end{cases}$$

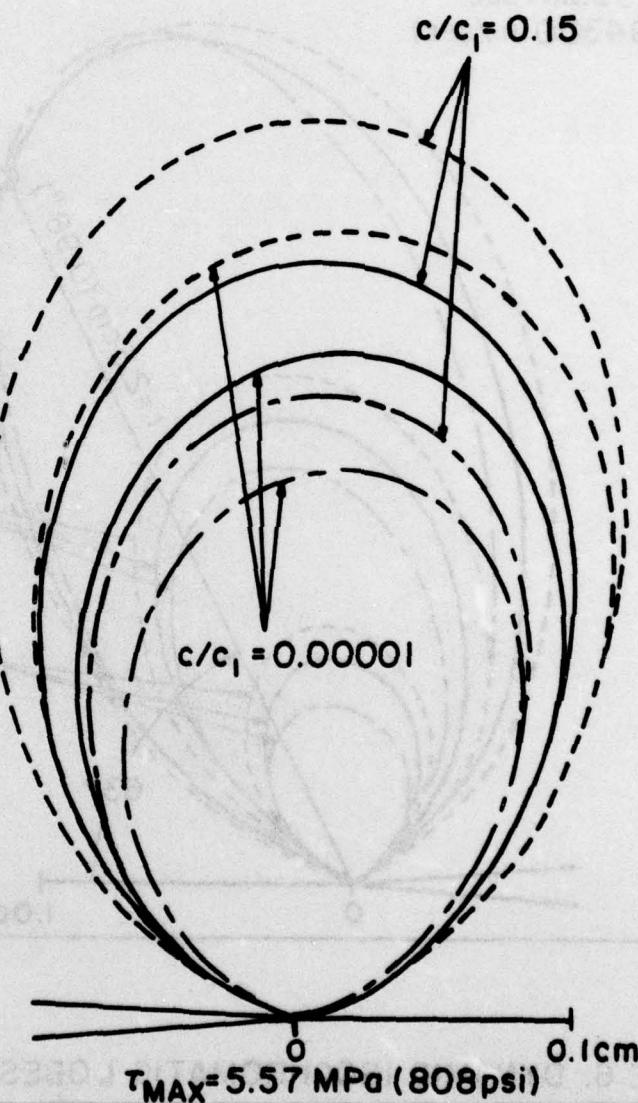


FIGURE 5. STATIC AND DYNAMIC ISOCHOMATIC LOBES AT A CRACK TIP.

$$K_{IC} = 0.64 \text{ MPa}\cdot\text{m}^{1/2}$$

(579 psi $\sqrt{\text{in}}$)

$$E = 4.65 \text{ GPa}$$

(675 ksi)

$$\nu = 0.345$$

$$c = 2395 \text{ m/sec}$$

(94300 in/sec)

- $K_D = 0.8 K_{IC}$
- - - $K_D = 0.88 K_{IC}$
- - - $K_D = 0.72 K_{IC}$

FOR $K_D = 0.8 K_{IC}$

$$\begin{cases} a_2 = -1.9778 K_D \\ a_3 = -1.6482 K_D \end{cases}$$

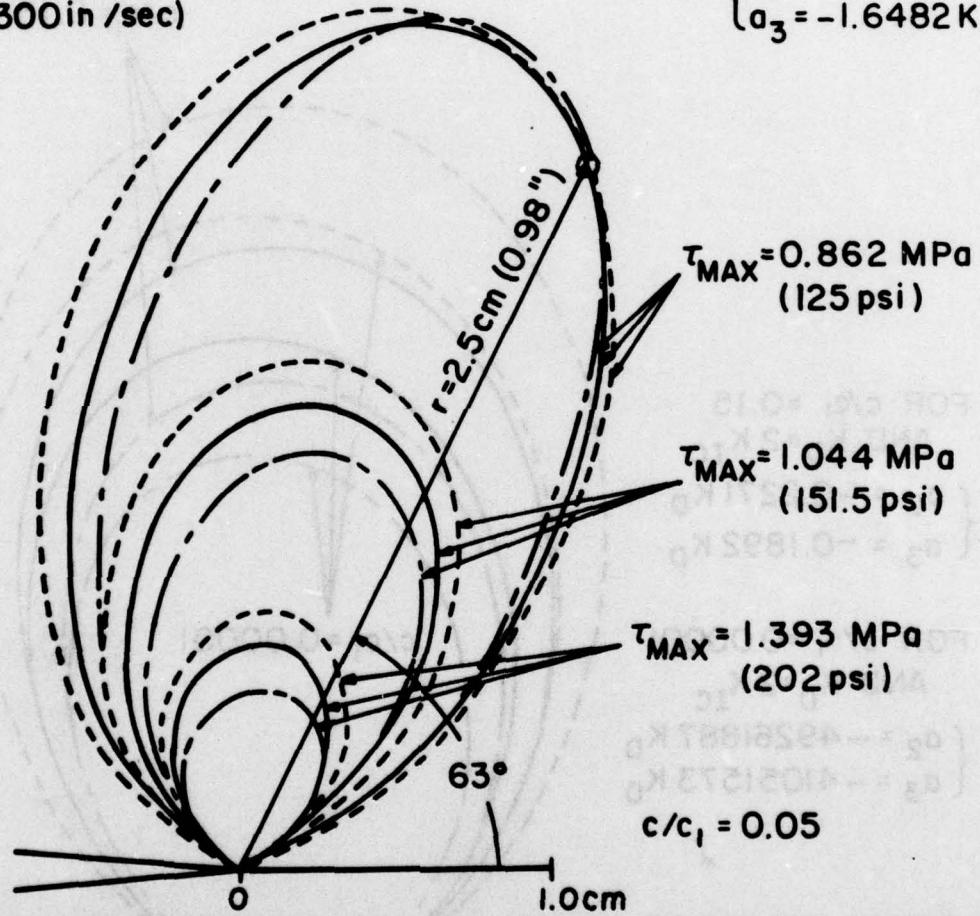


FIGURE 6. DYNAMIC ISOCHROMATIC LOBES AT A CRACK TIP.

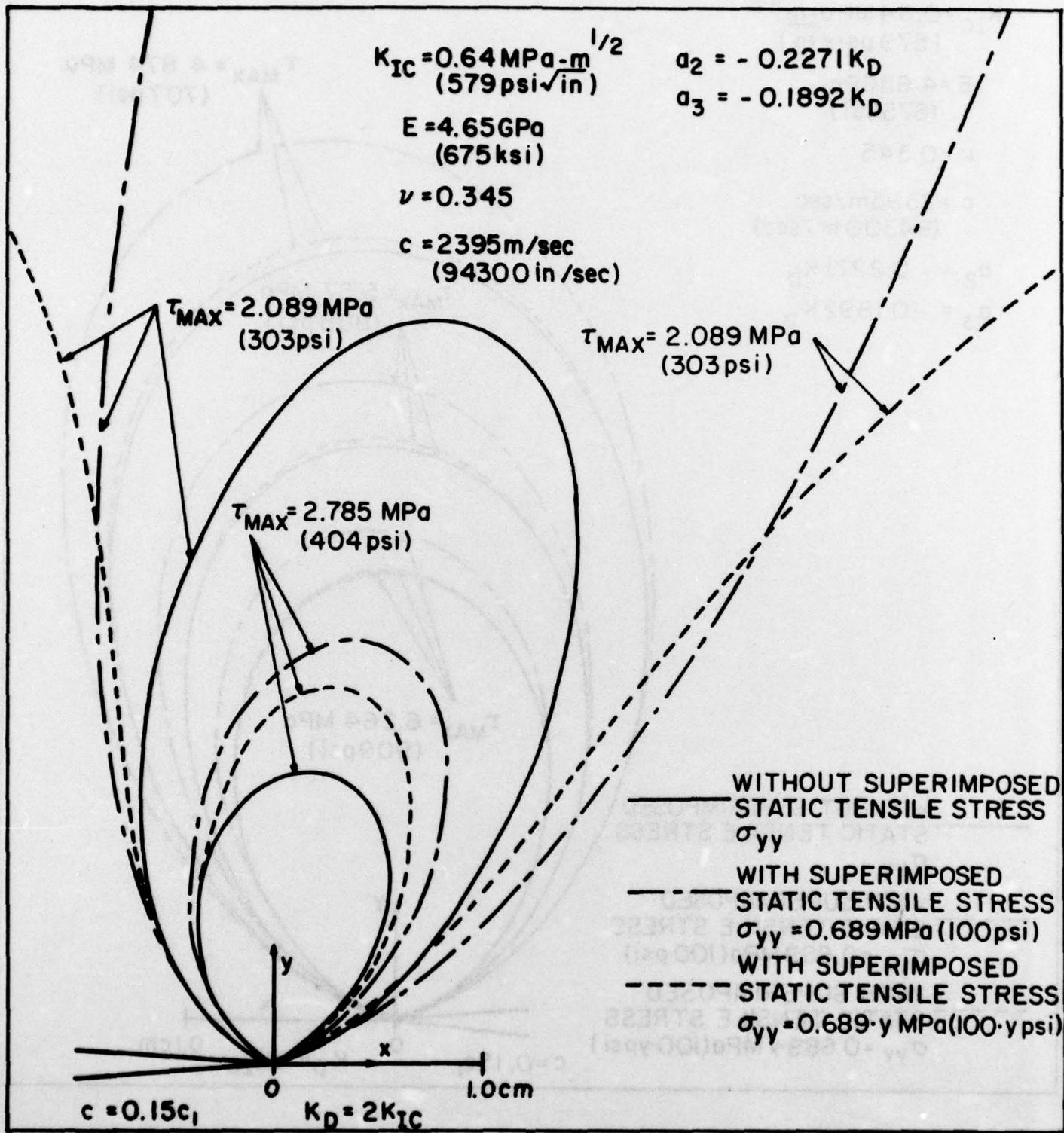


FIGURE 7. DYNAMIC ISOCHROMATIC LOBES AT A CRACK TIP WITH SUPERIMPOSED STATIC TENSILE STRESS σ_{yy} .

$$K_{IC} = 0.64 \text{ MPa}\cdot\text{m}^{1/2}$$

(579 psi $\sqrt{\text{in}}$)

$$E = 4.65 \text{ GPa}$$

(675 ksi)

$$\nu = 0.345$$

$$c = 2395 \text{ m/sec}$$

(94300 in/sec)

$$a_2 = -0.2271 K_D$$

$$a_3 = -0.1892 K_D$$

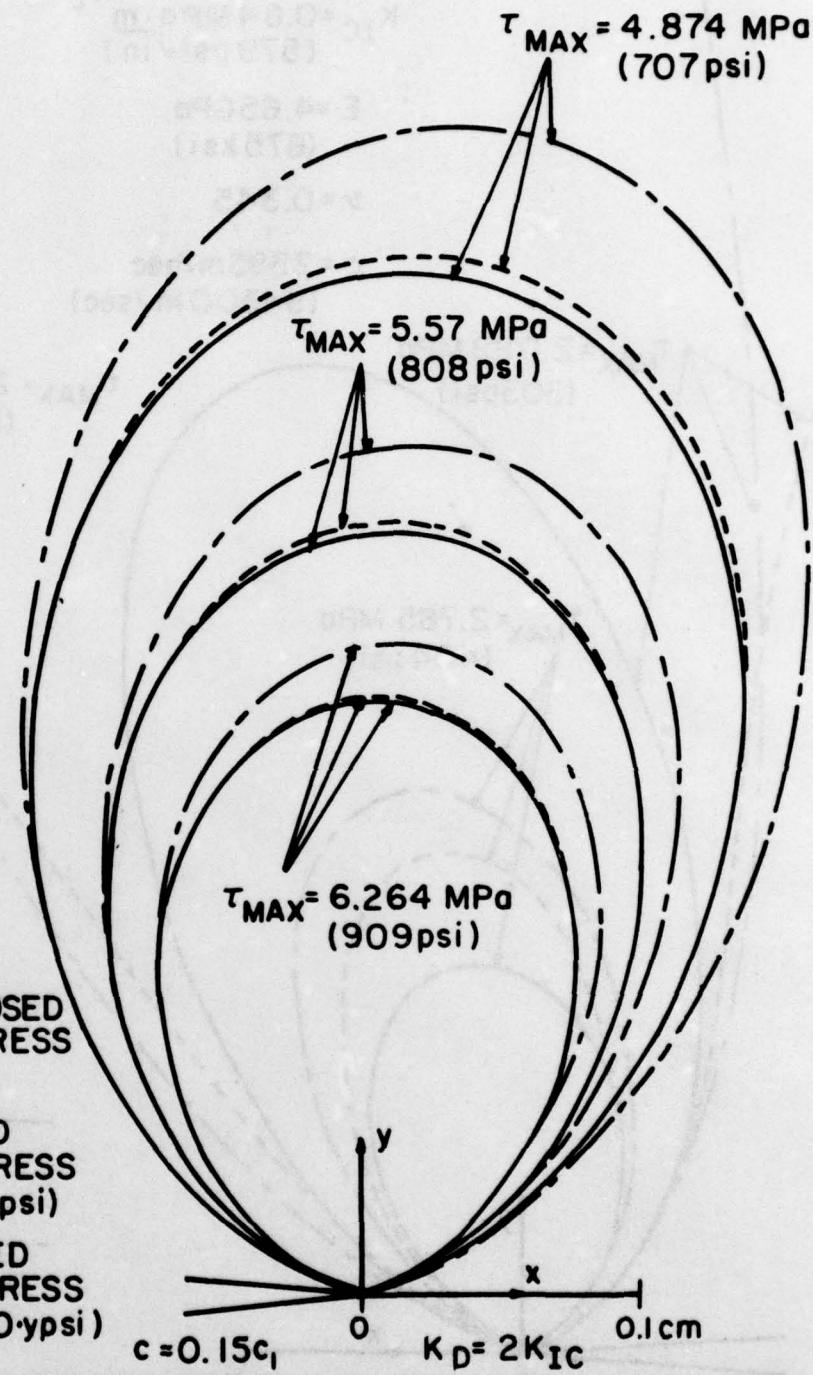


FIGURE 8. DYNAMIC ISOCHROMATIC LOBES AT A CRACK TIP WITH SUPERIMPOSED STATIC TENSILE STRESS σ_{yy} .

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of different sizes are noted. All three teams of investigators used static near-field solution to compute the dynamic stress intensity factors from recorded dynamic isochromatics or dynamic caustics. Errors generated through this use of static near-field solutions as well as through the use of larger isochromatic lobes are thus discussed.